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**Graham Denham\***, Department of Mathematics, University of Western Ontario, London, ON N6A5B7, Canada. *Free arrangements, nested sets, and zeroes of one-forms.*

This report is part of an ongoing project to compare the critical points of a product of (powers of)  $n$  linear forms on  $\mathbb{C}^\ell$  with resonance of the associated complex hyperplane arrangement. For this, it is useful to consider the variety  $\Sigma$  in  $\mathbb{P}^{\ell-1} \times \mathbb{P}^{n-1}$  given by the vanishing of a one-form  $\omega = \sum_i a_i df_i / f_i$ , where the  $f_i$ 's and  $a_i$ 's are linear forms and indeterminates, respectively.

The closure of  $\Sigma$  in the ambient space arises naturally; for example, it is known to be a complete intersection if and only if the arrangement is free. Via de Concini-Procesi's wonderful models for an arrangement, it turns out that  $\Sigma$  also has a smooth compactification. This can be used to describe the boundary of  $\Sigma$  in  $\mathbb{P}^{\ell-1} \times \mathbb{P}^{n-1}$ , which is seen to involve (intrinsically) the combinatorics of nested sets. (Received February 04, 2008)