1. Find and classify (max/min/saddle) the critical points of $f(x,y) = x^3 + x^2 - y^2$.*

2. Use Lagrange multipliers to find the maximum and minimum of f(x)=xy subject to the constraint $1=x^2+y^2$

^{*} If $f_{xx}f_{yy} - f_{xy}^2 > 0 \& f_{xx} > 0$ at a c.p., then the c.p. is a local min.