

CIRCLE THE LETTERS OF THE TRUE STATEMENTS. CROSS OUT THE FALSE STATEMENTS.

- a) Playfair's Axiom was named after a Scottish mathematician named "Playfair".
- b) Euclid's Parallel Postulate states: If a straight line crossing two straight lines makes the interior angles on one side together less than two right angles, then the two straight lines will meet on that side.
- c) Playfair's Axiom states: "For any line \mathcal{L} and point P outside \mathcal{L} , there is exactly one line through P that does not meet \mathcal{L} ."
- d) Playfair's Axiom is equivalent to Euclid's Parallel Postulate (in the presence of the other Euclidean postulates).
- e) The *existence* of parallels can be deduced without using the Parallel Postulate (in some form) from the other assumptions of Euclidean geometry.
- f) Without using the Parallel Postulate (in some form), one CANNOT deduce the *uniqueness* of parallels from the other assumptions of Euclidean geometry.
- g) Without using the Parallel Postulate (in some form), one CANNOT deduce the *equality of alternate interior angles in a figure consisting of two parallels cut by a transversal* from the other assumptions of Euclidean geometry.
- h) Without using the Parallel Postulate (in some form), one CANNOT deduce that *the sum of the angles of a triangle is equal to two right angles* from the other assumptions of Euclidean geometry.
- i) Without using the Parallel Postulate (in some form), one CANNOT deduce that *the opposite sides of a parallelogram are congruent* from the other assumptions of Euclidean geometry.
- j) Without using the Parallel Postulate (in some form), one CANNOT *construct a rectangle* using the other assumptions of Euclidean geometry.